

Analysis of Turbulent Boundary Layers over Moving Surfaces

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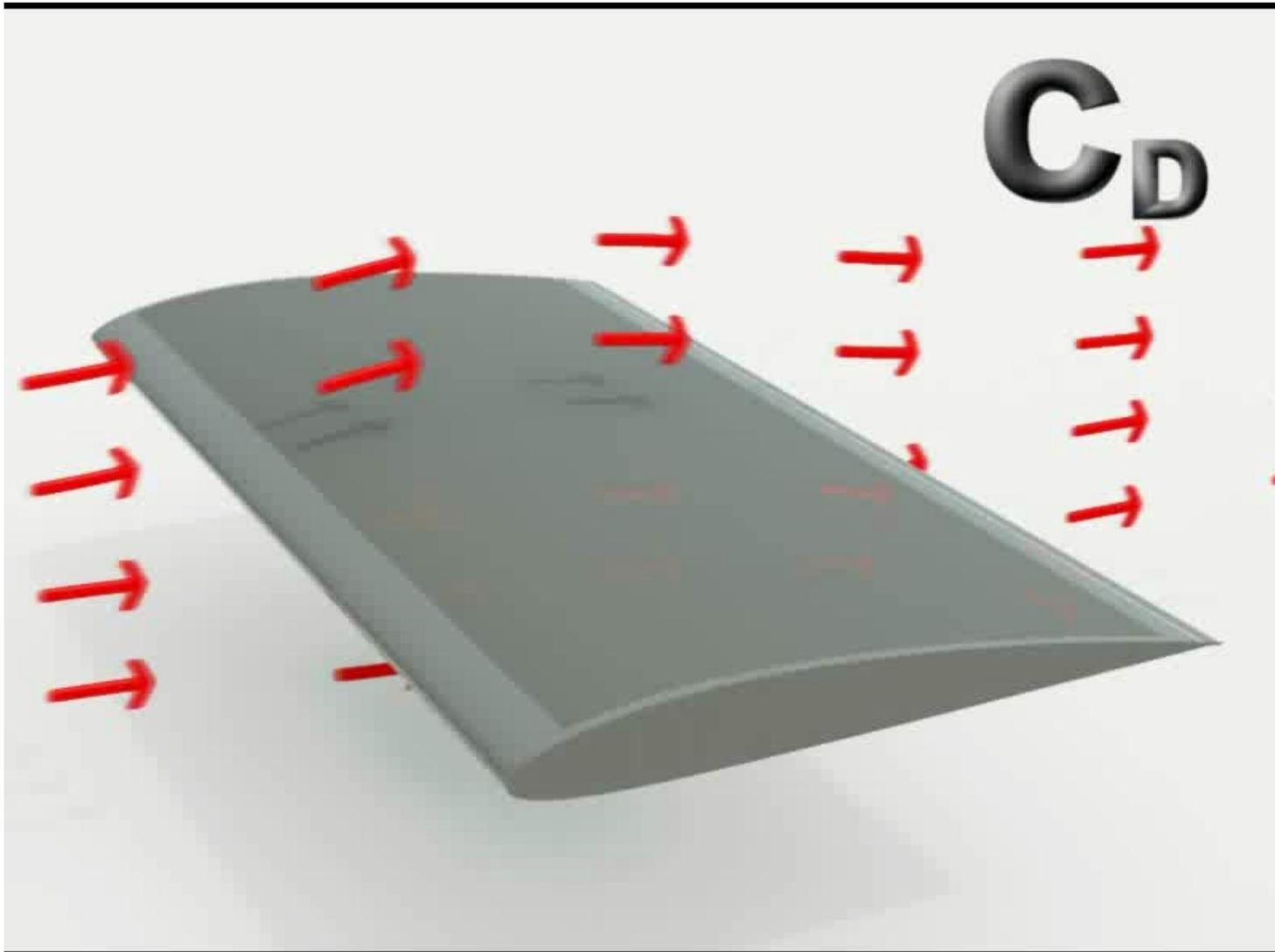
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Coming Up

- **Motivation**
- **State of the Art**
- **Methods**
 - * **numerical**
 - * **experimental**
- **Results**
 - * **smooth surface**
 - * **riblet surface**
- **Conclusion**

Motivation / 1



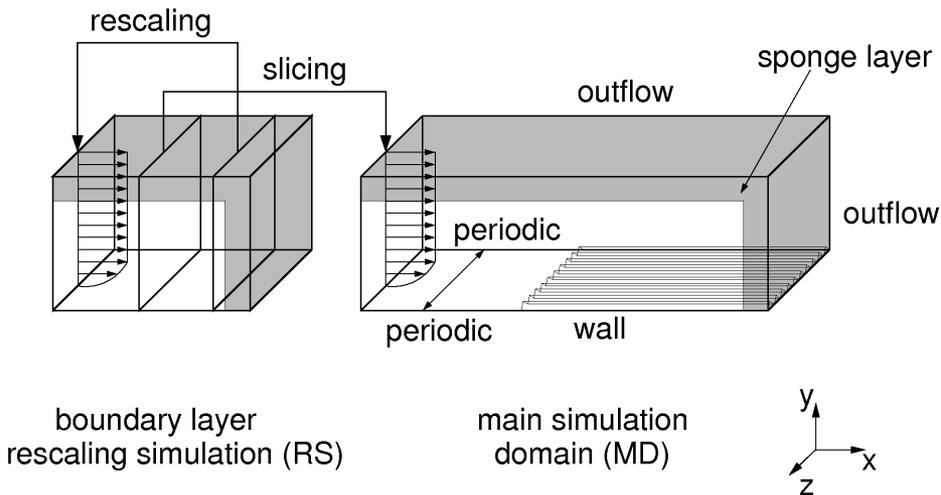
- **passive means: riblets $\rightarrow DR \leq 10\%$**
(Exp: Walsh, Bechert etc.)
(Num: Choi, Karniadakis, Goldstein, Jimenez, etc.)
- **active means: in-plane spanwise wall motion ($Re_\tau \leq 100$)**
internal flow (channel) $\rightarrow 10\% \leq DR \leq 45\%$
(wall oscillation, rotating discs, Lorentz forces ... ;
Quadrio, Choi, Ricco, Leschziner, Toubert etc.)
external flow $\rightarrow DR \leq 15\%$
(electroactive polymers, plasma actuators ... ;
Choi, Di Cicca, Gouder, Laadhari etc.)

- **active means: spanwise transversal wall motivation ($Re_\tau \leq 750$)**
 - internal flow (channel) $\rightarrow DR \leq 13\%$**
(Tomiyama, Fukagata etc.)
 - external flow $\rightarrow DR \leq 13\%$**
(Itoh, Tamano, Klumpp etc.)

Summary:

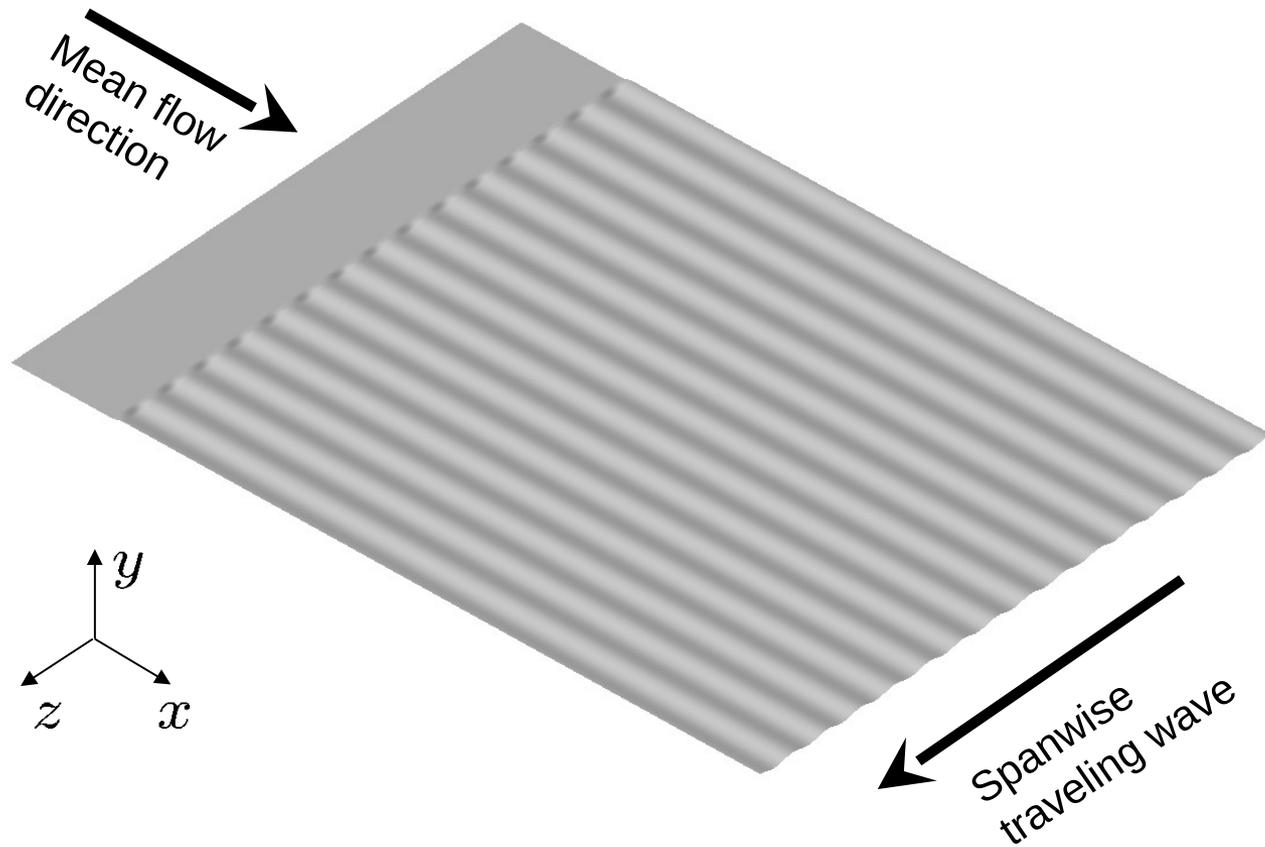
- **no combination of riblets and moving surfaces exists**
- **combination seems natural due to the similarity in the drag reducing mechanism**
- **combination possible if aluminum surface can be actuated**
- **actuators with high strength to displace and retract the aluminum surface are necessary**

- **Large-eddy simulation using the MILES (monotone integrated LES) approach**
- **Discretization of the inviscid terms by a mixed centered-upwind AUSM (advective upstream splitting method) scheme at second-order accuracy**
- **Second-order centered discretization of the viscous terms**
- **Temporal integration by a second-order explicit 5-stage Runge-Kutta method**

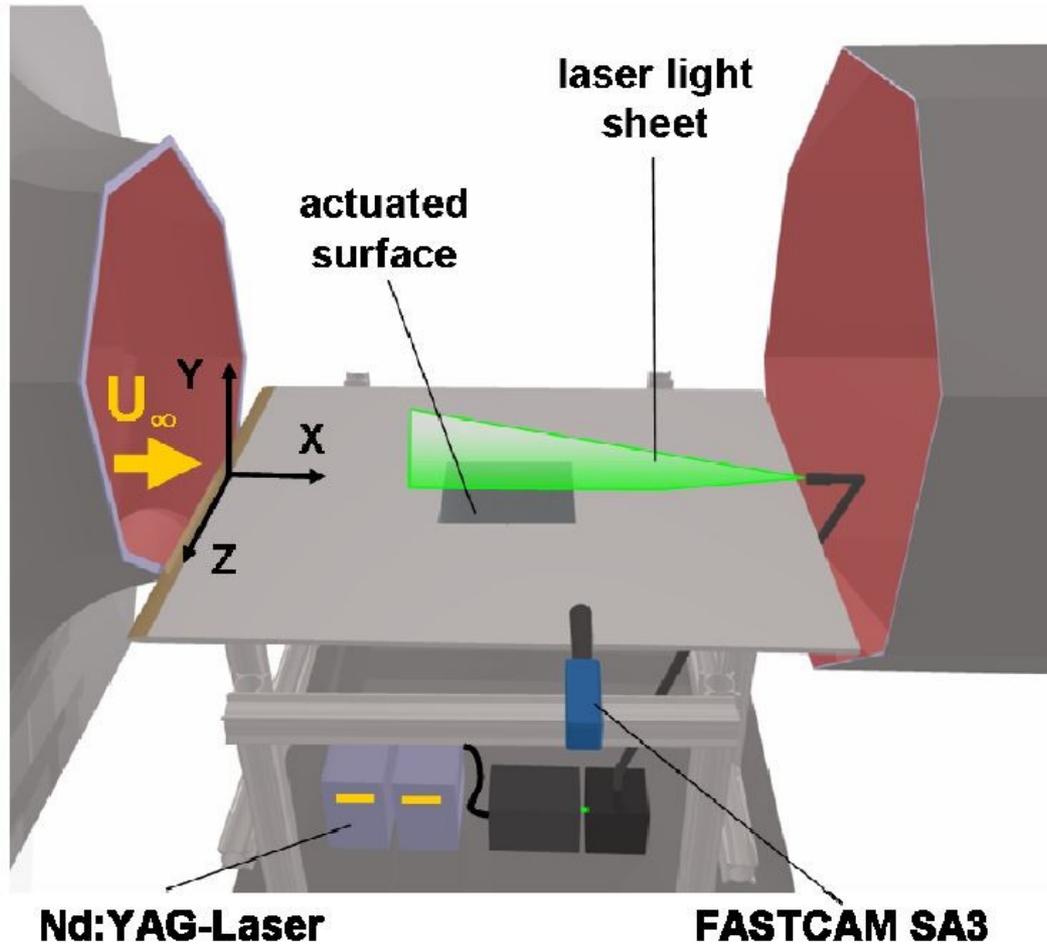


computational domain

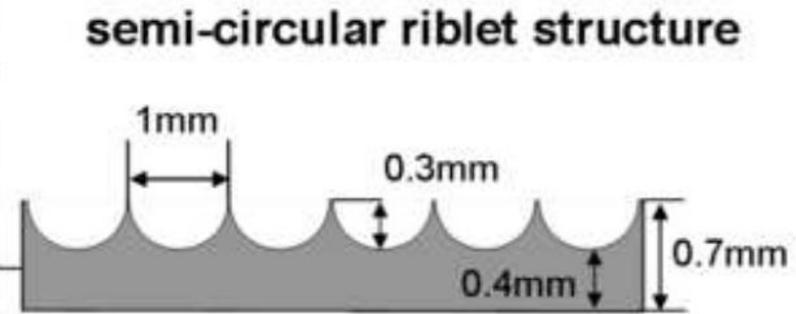
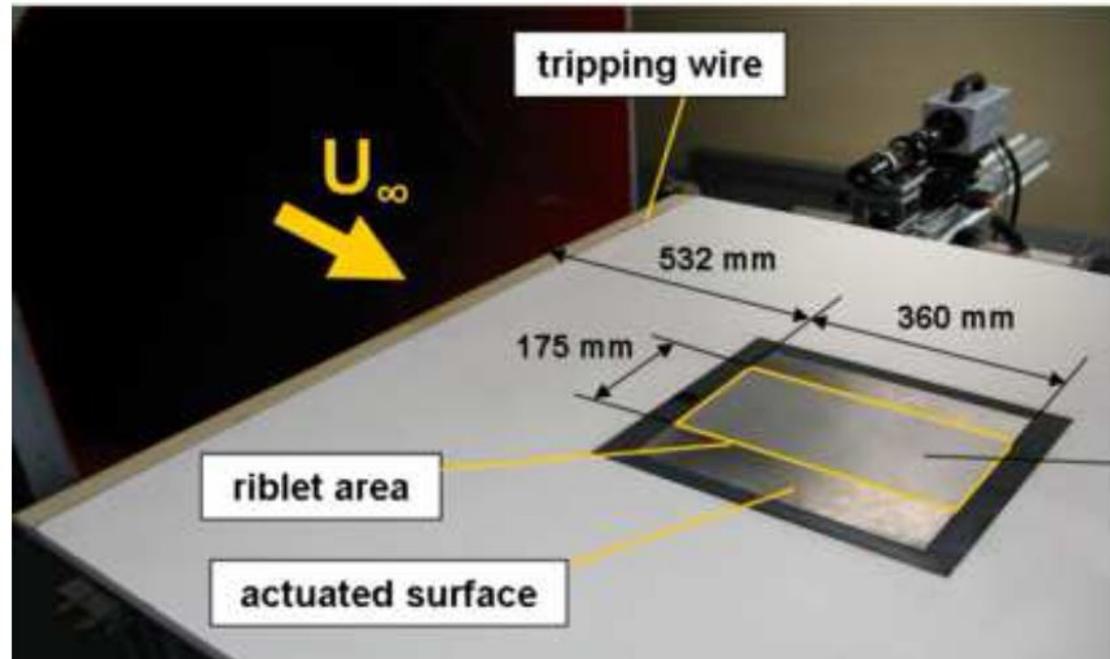
- **generation of a turbulent boundary layer via a rescaling method**
- **periodic in the spanwise direction**
- **sponge layer to damp numerical reflections**
- **no-slip condition at the wall**



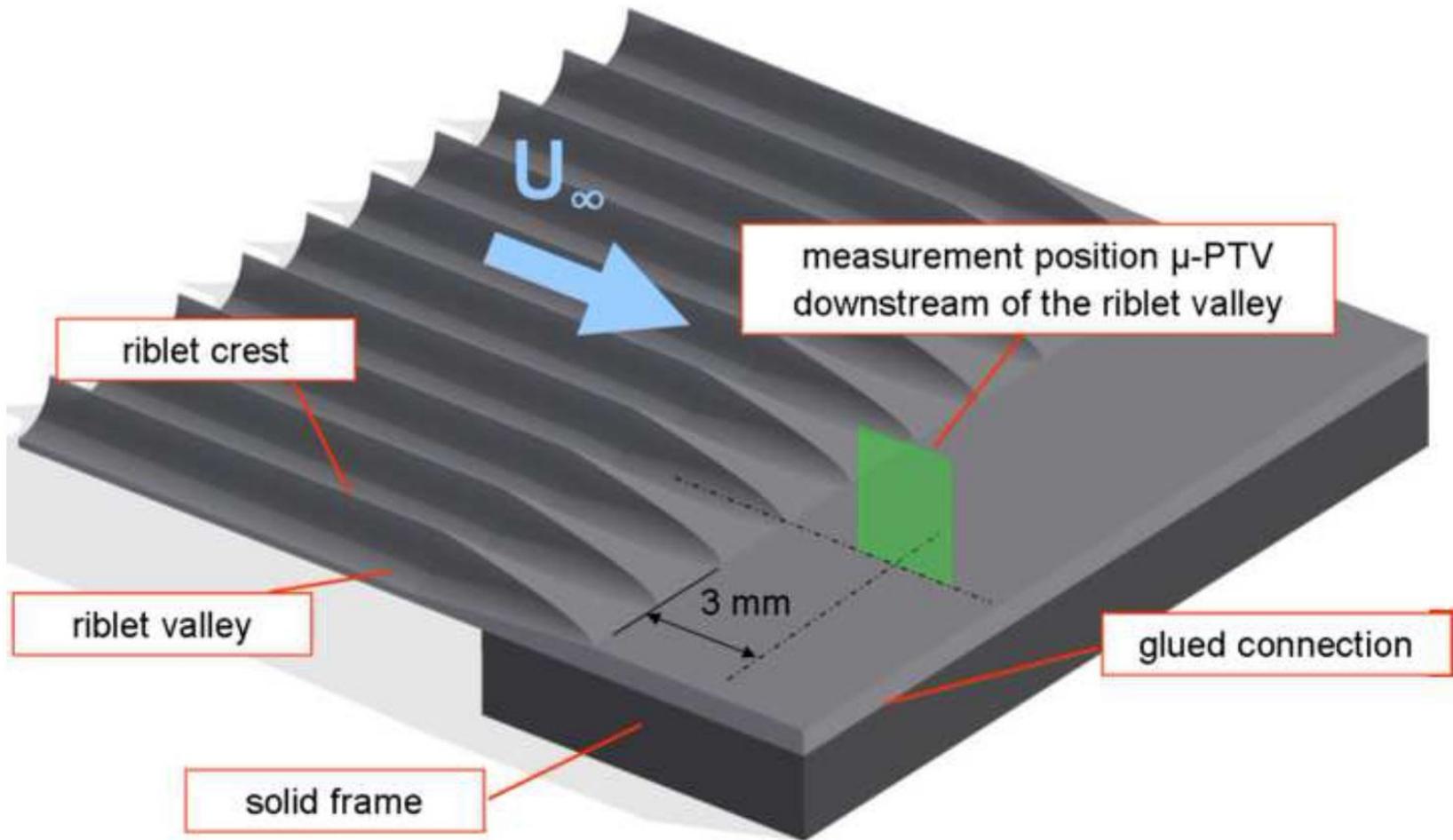
$$y(z, t) = \hat{y} \sin \left(\frac{2\pi}{\lambda_z} z - \frac{2\pi}{T} t \right)$$



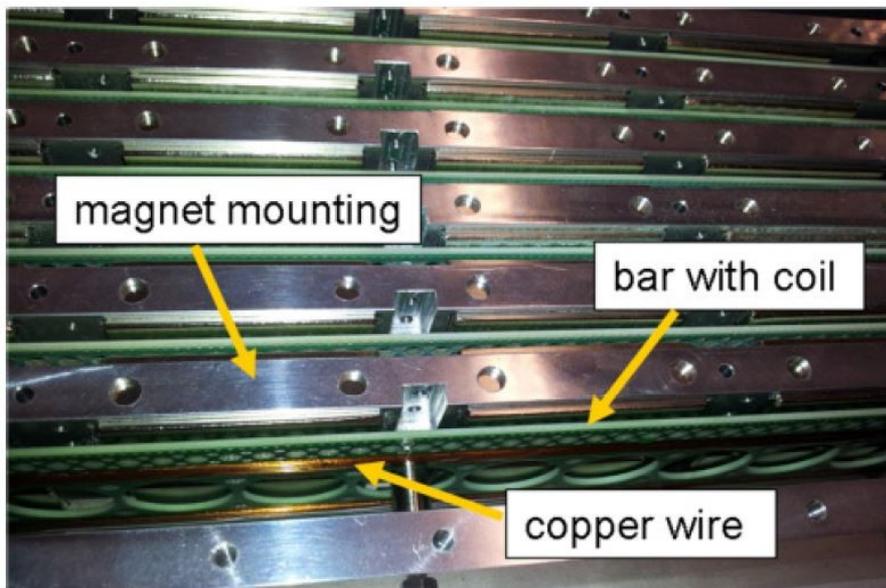
low-speed wind tunnel, flat plate, actuated surface,
PIV and μ PTV setup



actuated surface plus riblet surface

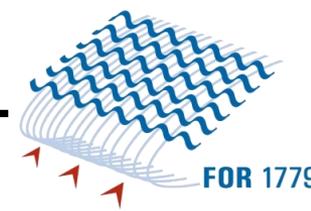


transition from riblet to smooth surface and measurement location



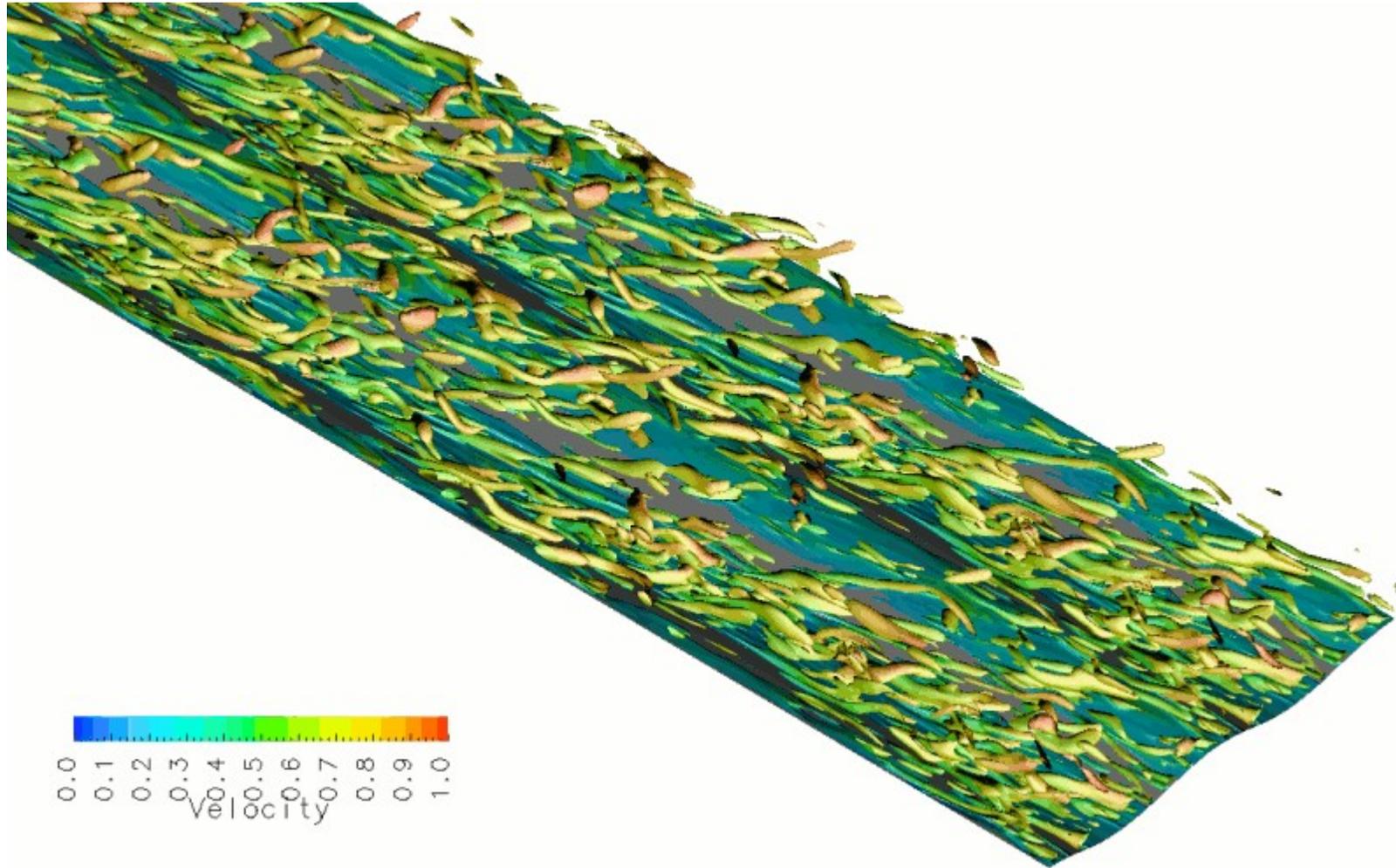
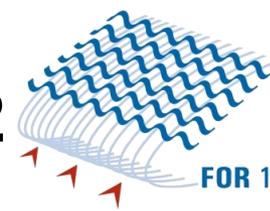
electromagnetic actuators 20mm apart; 10 actuated bars are aligned with the streamwise direction (Kaparakı et al., submitted to *Mechatronics*)





Re_θ	A^+	λ^+	C^+	T^+	$Re_{\tau,0}$	A_0^+	λ_0^+	C_0^+
1000	50	500	6.25	80	540	43.5	506	6.03
2000	50	500	6.25	80	906	53.5	536	5.84
5000	50	500	6.25	80	1908	55.8	550	5.84
7000	50	500	6.25	80	2250	69.4	598	5.79

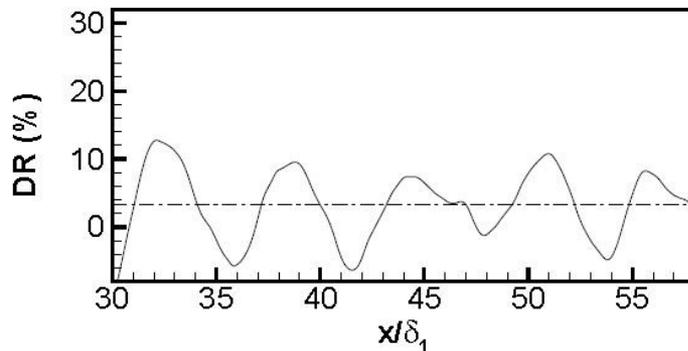
flow parameters, Re_θ = momentum based Reynolds number, Re_τ : friction velocity based Reynolds number, A^+ : amplitude, λ^+ : wave length, c^+ : phase speed, T^+ : period



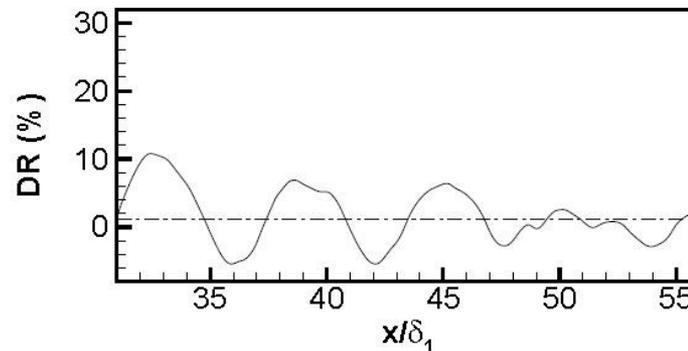
turbulent structures over the actuated surface visualized by λ_2 -contours

DR : ratio of the difference of the non-ac. wss and the ac. wss to the non-ac. wss

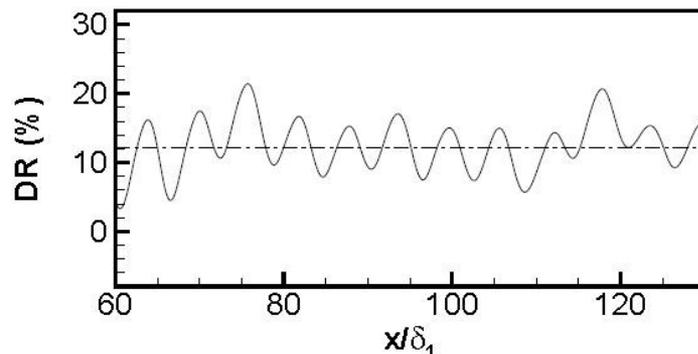
$Re_\theta = 1000, DR = 12,5\%$



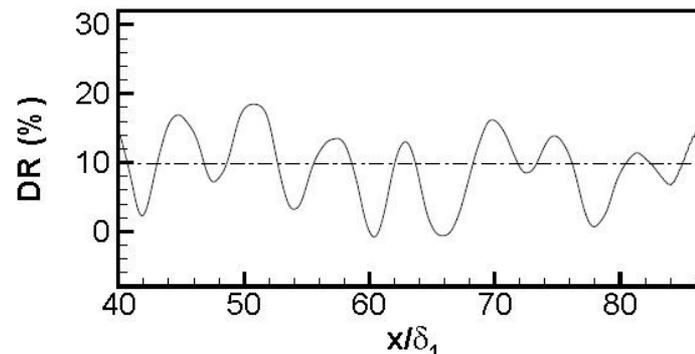
$Re_\theta = 2000, DR = 9,9\%$



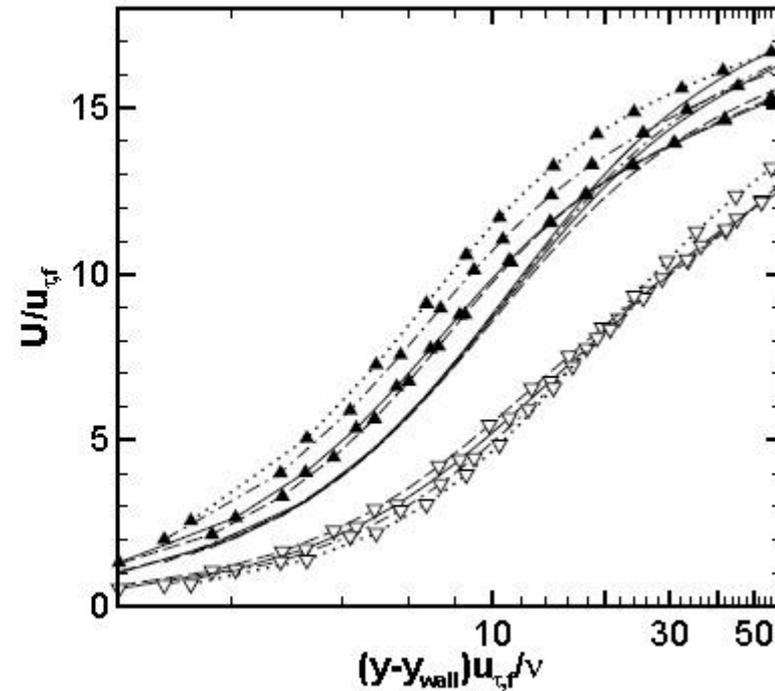
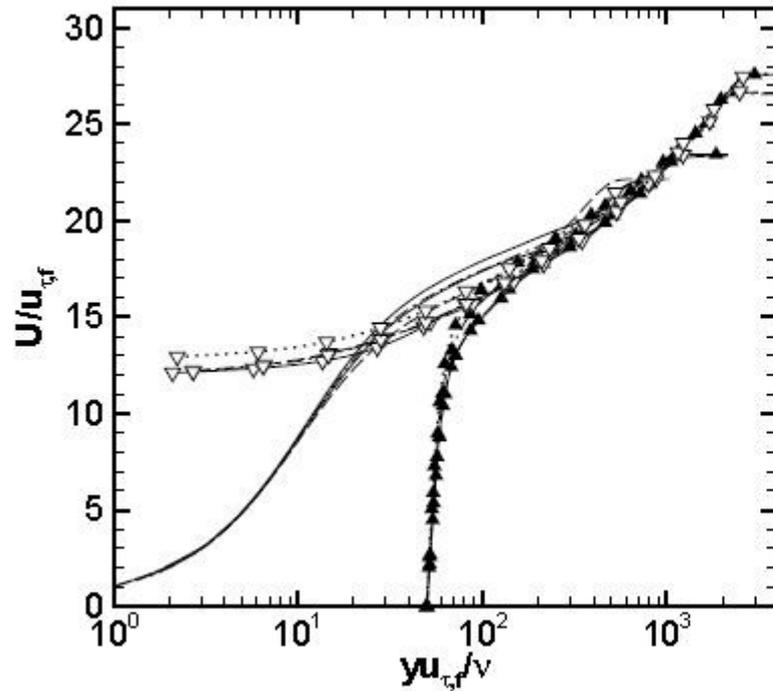
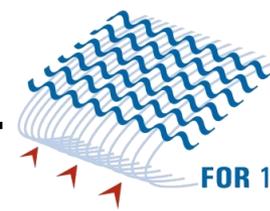
$Re_\theta = 5000, DR = 3.3\%$



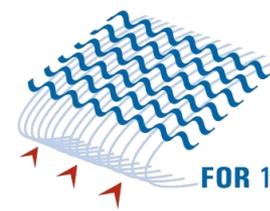
$Re_\theta = 7000, DR = 1.2\%$



streamwise distribution of the drag reduction (local and mean value)

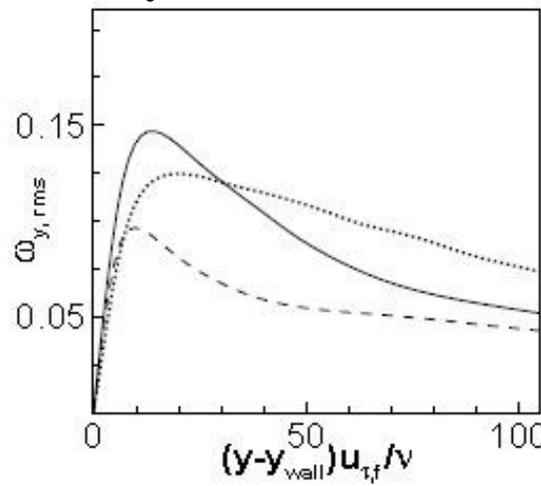
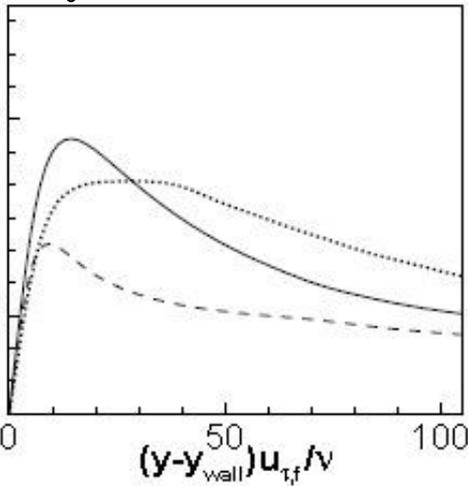


Phase-averaged profiles of the streamwise velocity u , the symbols indicate the crest (\blacktriangle) and the trough (\blacktriangledown), the non-actuated configurations are denoted by lines at $---$ ($Re_\theta = 1000$), $—$ ($Re_\theta = 2000$), $- \cdot -$ ($Re_\theta = 5000$), \cdots ($Re_\theta = 7000$), (left) absolute coordinate, (right) relative wall distance.



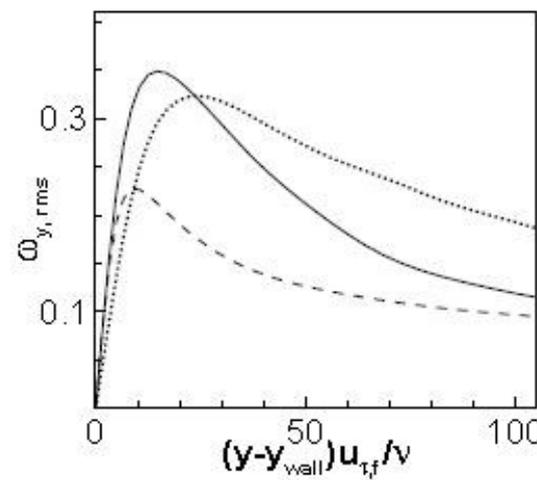
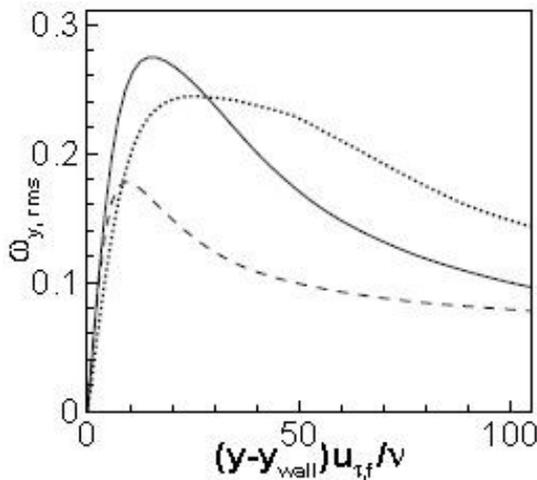
$Re_\theta = 1000$

$Re_\theta = 2000$



$Re_\theta = 5000$

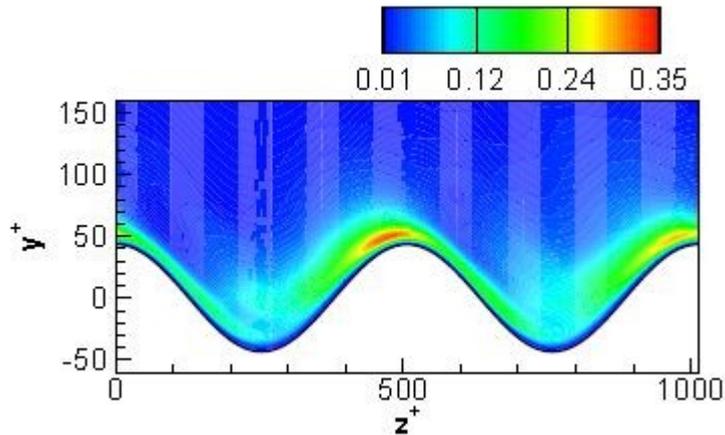
$Re_\theta = 7000$



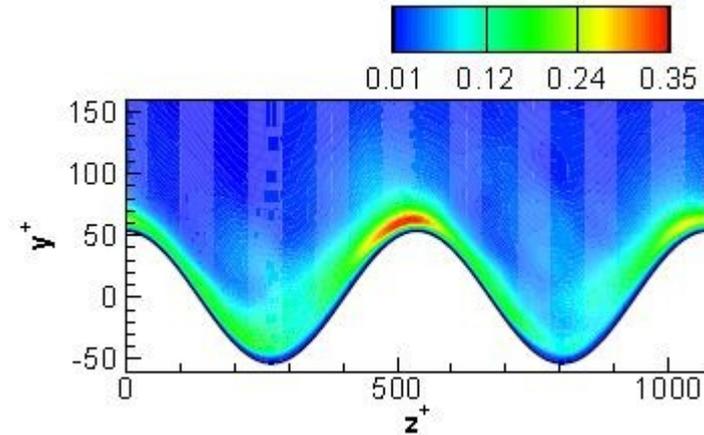
Phase-averaged profiles of the root-mean square values of the wall-normal vorticity fluctuations

- (non-actuated wall),
- - - (actuated wall crest),
- (actuated wall trough)

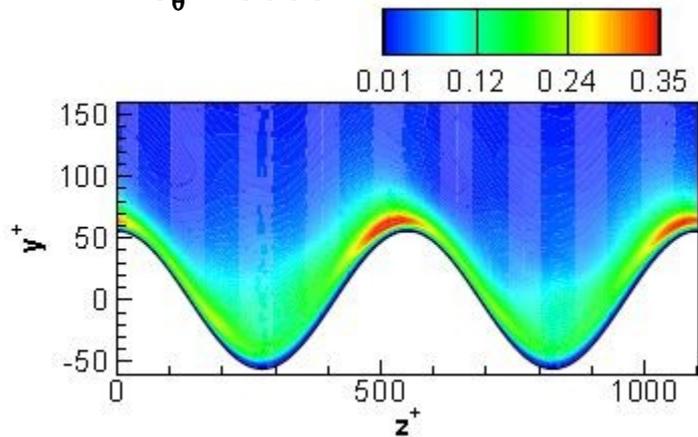
$Re_\theta = 1000$



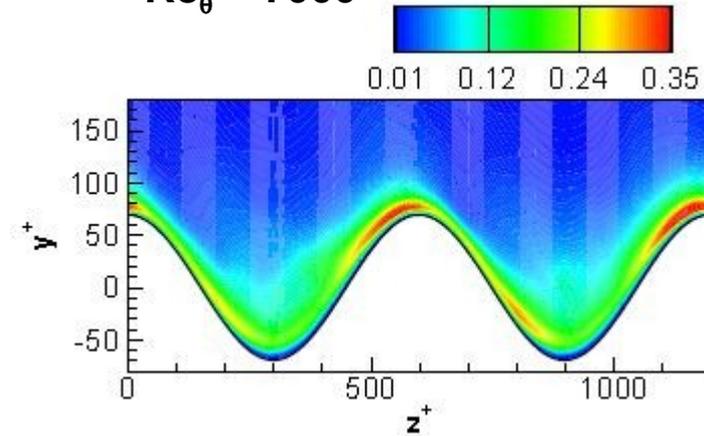
$Re_\theta = 2000$



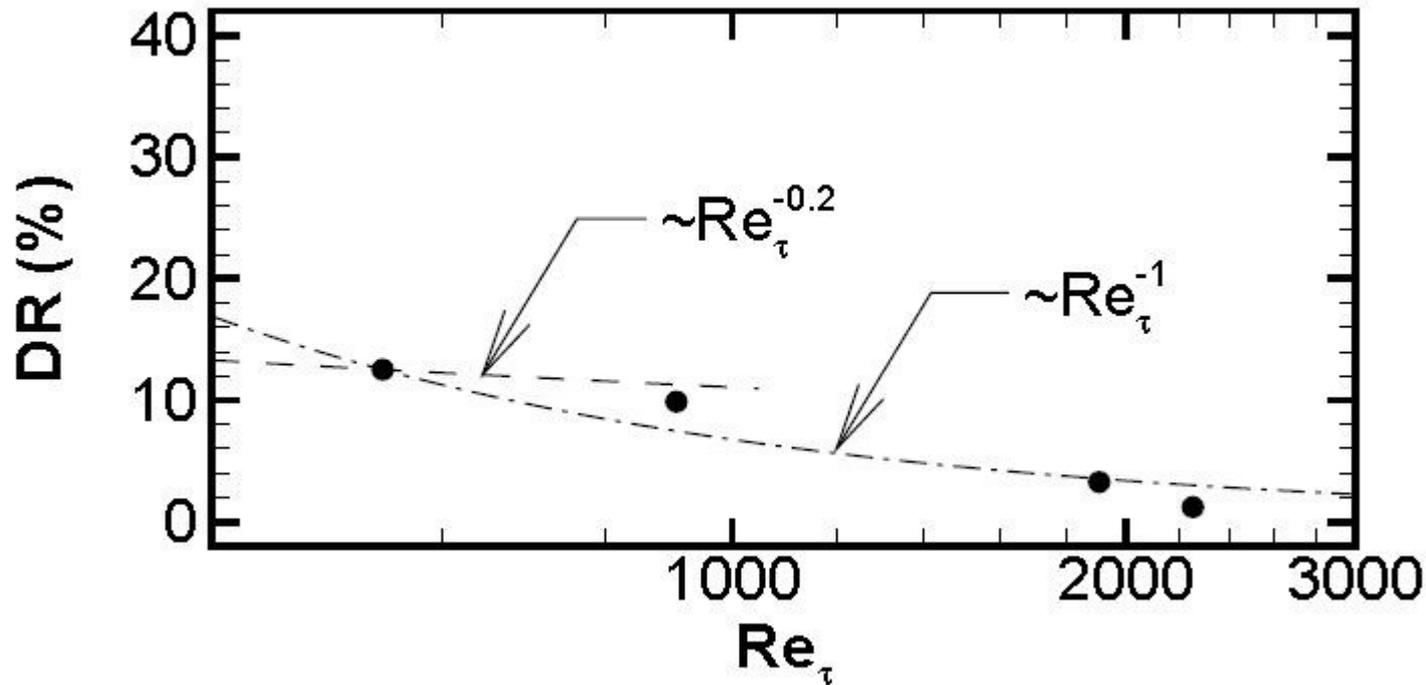
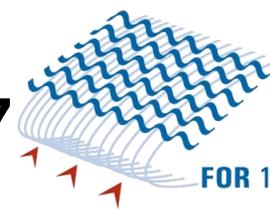
$Re_\theta = 5000$



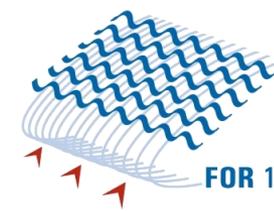
$Re_\theta = 7000$



Contours of the phase-averaged production term $P_{ij} = -\overline{u'_i u'_j} \partial \overline{u}_i / \partial x_j$



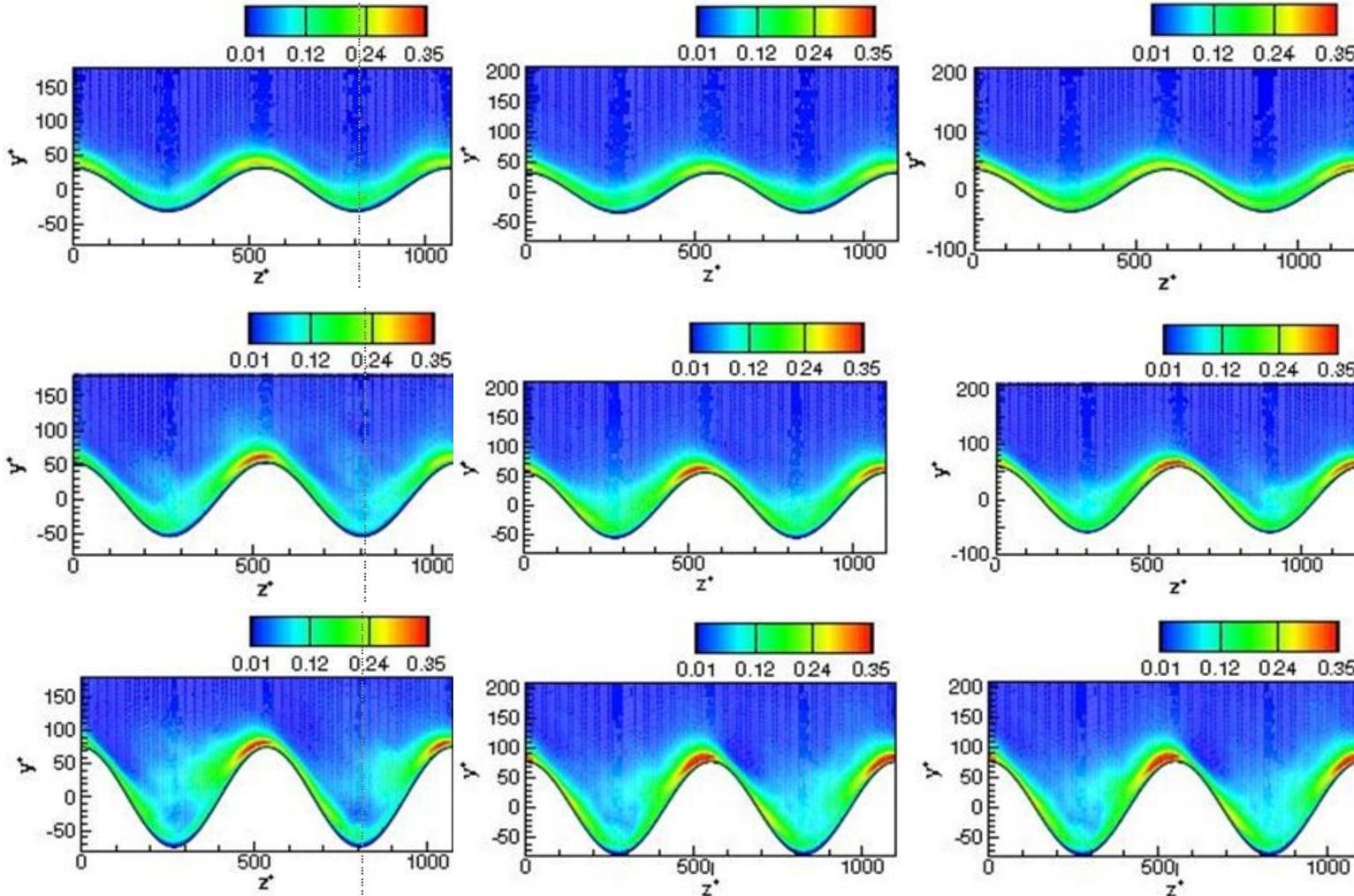
Drag reduction as a function of the Reynolds number based on the friction velocity Re_τ , - - - turbulent channel flow from [28] for $10^2 \leq Re_\tau \leq 10^3$, - - - current flat plate turbulent boundary layer flow $540 \leq Re_\tau \leq 2250$.



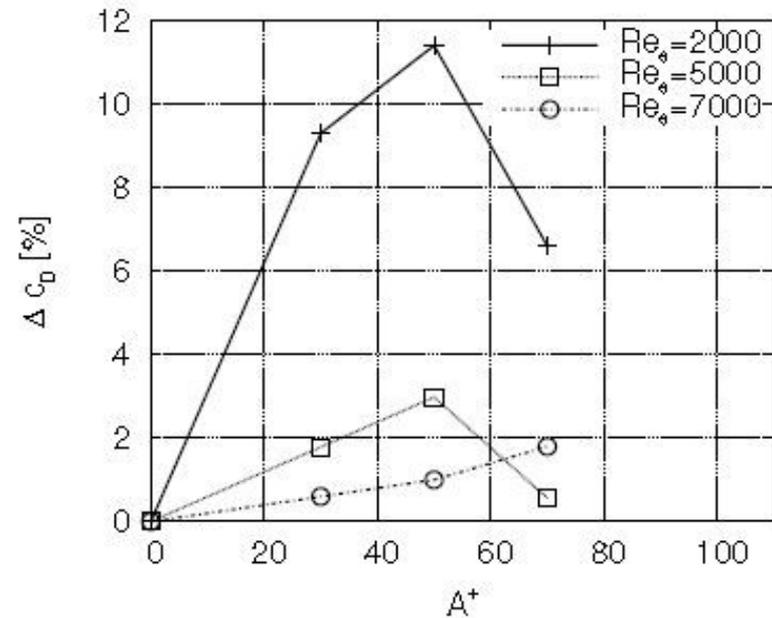
$Re_\theta = 2000$

$Re_\theta = 5000$

$Re_\theta = 7000$



Contours of the phase-averaged production term $P_k = -\overline{u'_i u'_j} \partial \overline{u_i} / \partial x_j$ 20



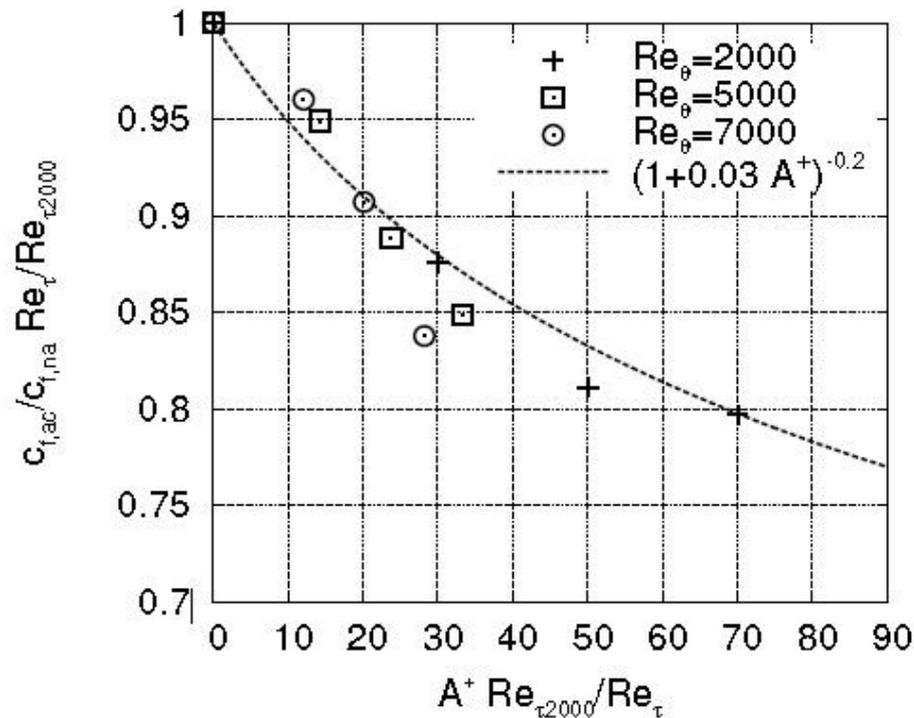
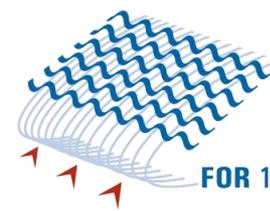
Reynolds number	A^+	S_{ac}/S_{nc}	$c_{f,ac}/c_{f,na}$	Δc_D [%]
$Re_\theta = 2000$	30	1.03451	0.88	9.3
$Re_\theta = 2000$	50	1.09204	0.81	11.4
$Re_\theta = 2000$	70	1.17120	0.80	6.6
$Re_\theta = 5000$	30	1.03467	0.95	1.8
$Re_\theta = 5000$	50	1.09246	0.89	3.0
$Re_\theta = 5000$	70	1.17197	0.85	0.6
$Re_\theta = 7000$	30	1.03464	0.96	0.6
$Re_\theta = 7000$	50	1.09240	0.91	1.0
$Re_\theta = 7000$	70	1.17185	0.84	1.8

drag reduction DR = Δc_D versus A^+

+ : $Re_\theta = 2000$

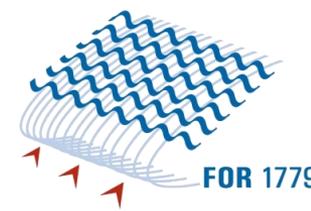
□ : $Re_\theta = 5000$

○ : $Re_\theta = 7000$



Friction coefficient ratio $c_{f,ac}/c_{f,na}$ scaled by $Re_{\tau}/Re_{\tau,2000}$ versus A^+ scaled by $Re_{\tau,2000}/Re_{\tau}$

+ : $Re_{\theta} = 2000$ □ : $Re_{\theta} = 5000$ ○ : $Re_{\theta} = 7000$

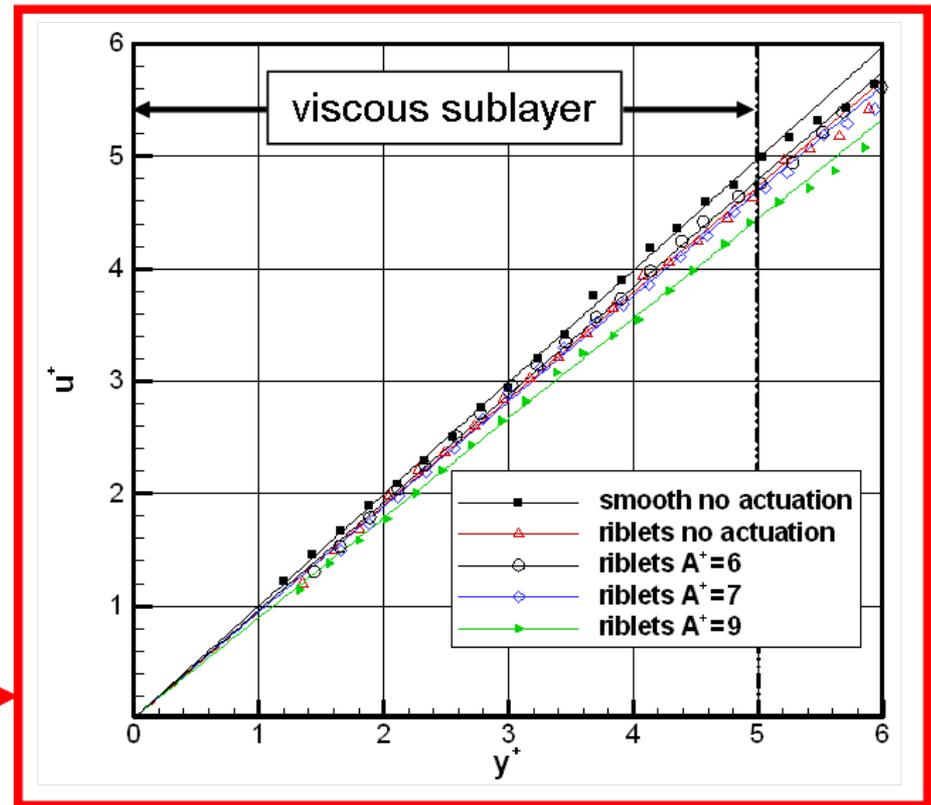
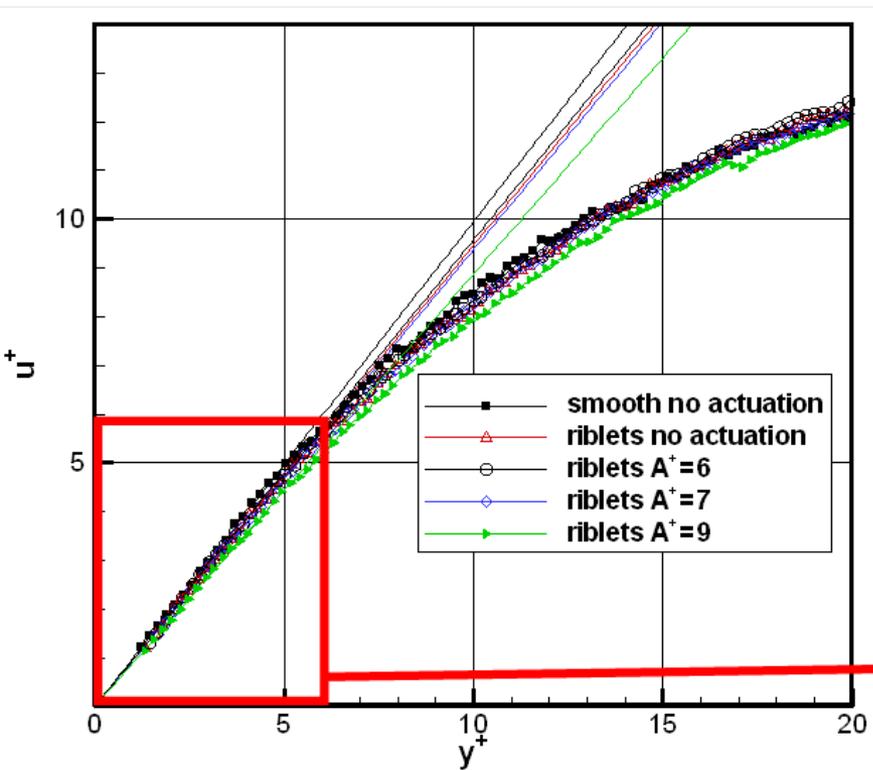


test parameter	parameter range	normalized parameter range
velocity	$U_\infty = 8 \text{ m/s}, 16 \text{ m/s}$	$Re_\theta = 1200, 2080$
excitation frequency	$f = 81 \text{ Hz}$	$T^+ = 110, 380$
wavelength	$\lambda = 160 \text{ mm}$	$\lambda^+ = 3862, 7170$
amplitude	$A = 0.25 \text{ mm}, 0.3 \text{ mm}, 0.375 \text{ mm}$	$6 \leq A^+ \leq 17$
riblet spacing	$s = 1 \text{ mm}$	$24 \leq s^+ \leq 45$
riblet height	$h = 0.3 \text{ mm}$	$7 \leq h^+ \leq 13$

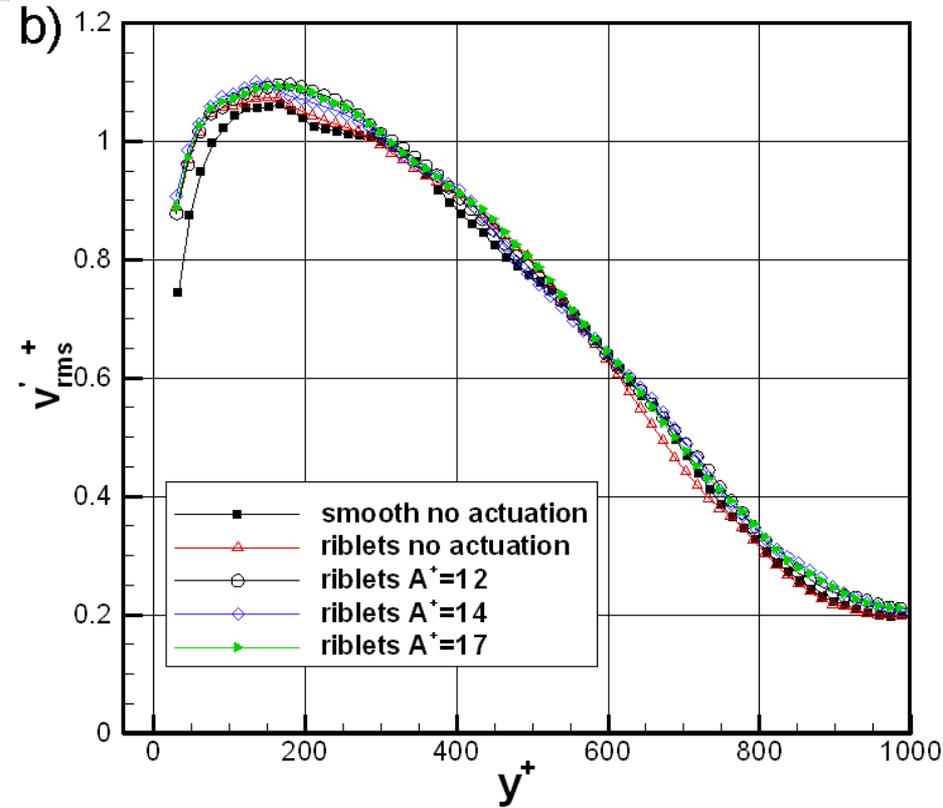
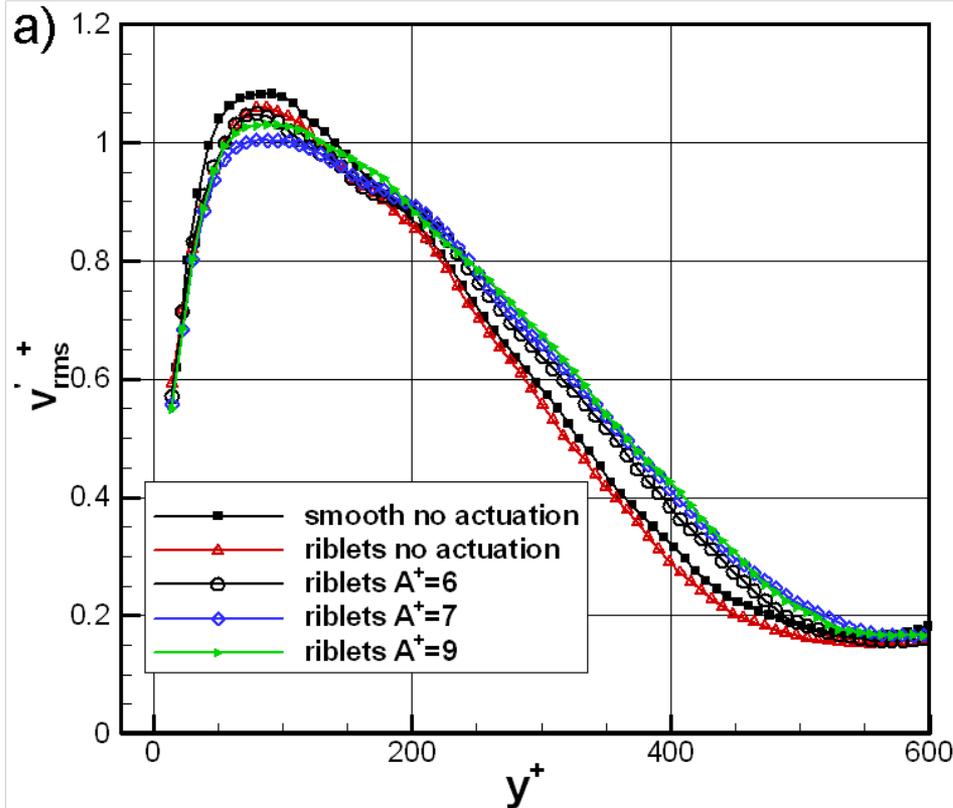
Re_θ	s^+	h^+	T^+	λ^+	A^+	DR [%]
1200	24	7	110	3862	0	4.7
1200	24	7	110	3862	6	4.1
1200	24	7	110	3862	7	5.8
1200	24	7	110	3862	9	9.4
2080	45	13	380	7170	0	0.7
2080	45	13	380	7170	11	0.9
2080	45	13	380	7170	14	2.2
2080	45	13	380	7170	17	2.7

flow parameters, riblet parameters, wave parameters

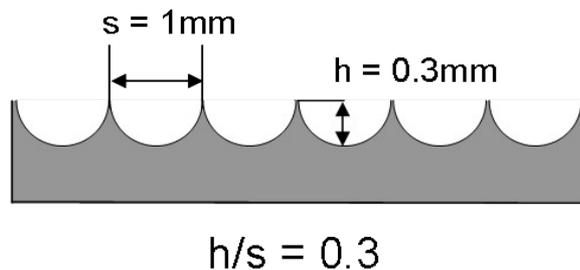
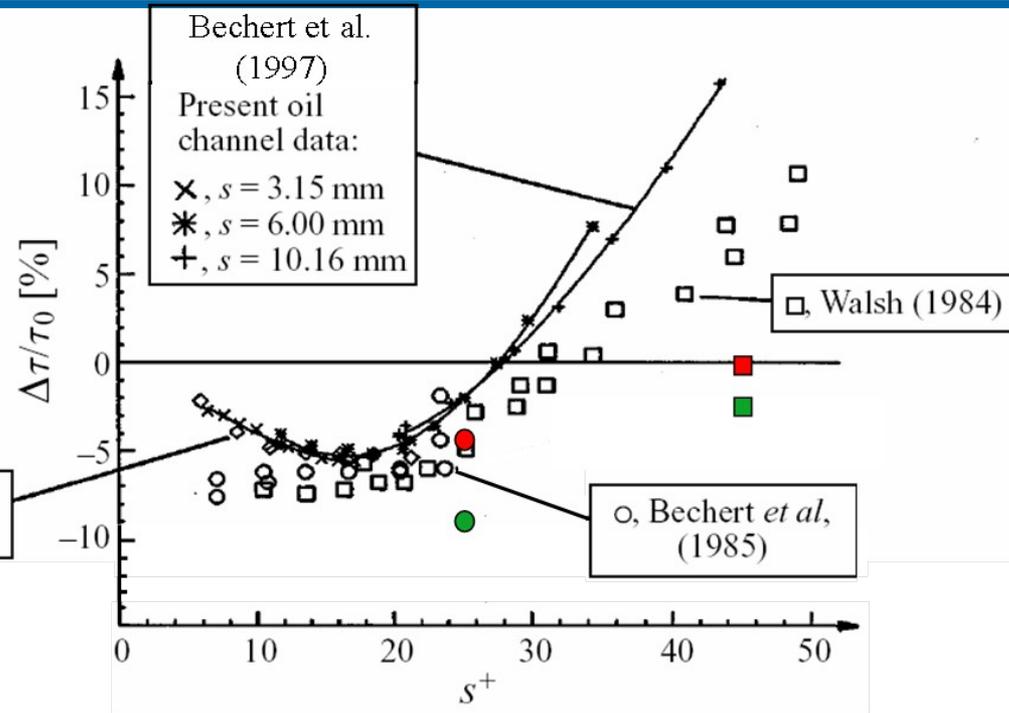
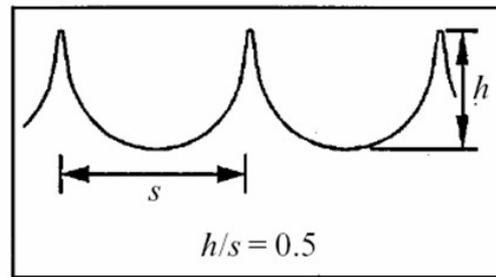
$$A^+ = Au_\tau/\nu, \lambda^+ = y u_\tau/\nu, T^+ = u_\tau^2/(f \cdot \nu)$$



comparison of mean streamwise velocity distribution in the viscous sublayer



rms-value of the wall-normal velocity fluctuations $Re_\theta = 1200$ (left) and $Re_\theta = 2080$ (right)



- $Re_\theta = 1200$ no actuation
- $Re_\theta = 2080$ no actuation
- $Re_\theta = 1200$ $A^+ = 9$
- $Re_\theta = 2080$ $A^+ = 17$

drag reduction $DR = \Delta\tau/\tau_0$ of a riblet structure with and without actuation

- impact of spanwise transversal surface waves on drag reduction was experimentally and numerically analyzed for turbulent flat plate boundary layers
- the investigation considered smooth and riblet surfaces
- new actuators were developed to excite the aluminum surface (Kaparakis et al., submitted to *Mechatronics*)
- parameter range: $1000 \leq Re_\theta \leq 7000$, $0 \leq A^+ \leq 70$, $\lambda^+ = \text{const.}$, $T^+ = \text{const.}$, $0 \leq s^+ \leq 45$

- at varying Re_θ and $\lambda^+ = \text{const.}$, $T^+ = \text{const.}$, $A^+ = \text{const.}$
DR reduces at higher Re_τ ($\sim Re_\tau^{-1}$)
- at varying A^+ and $\lambda^+ = \text{const.}$, $T^+ = \text{const.}$,
 $Re_\theta = \text{const.}$, DR possesses a maximum due to the
increased surface area
- the riblet surface enhances the drag reducing effect
- the transversal wall motion reduces the dimensional
sensitivity of the riblets to the flow parameters